



Change-point modelling in biological sequences via the bayesian adaptive independent sampler

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Abstract

The change-point problem arises in wide variety of fields, including biomedical signal processing, speech and image processing, seismology, industry (e.g., fault detection) and financial mathematics. Multiple change-point models are also important in many biological applications and, particularly, in analysis of biomolecular sequences. We model genome sequences as a multiple change-point process, that is, a process in which the sequential data are separated into segments by an unknown number of change-points, with each segment supposed to have been generated by a different process. The parameters of the model are estimated by Adaptive Independent Samplers, which are adaptive Markov chain Monte Carlo methods based on the Independent Metropolis-Hastings algorithm. We discuss results of numerical experiments comparing different computing schemes.

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ENGINEERING & MATERIALS SCIENCE



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Speech processing

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Monte Carlo methods

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Hierarchical Bayesian models are a mainstay of the machine learning and statistics communities. Exact posterior inference in such models is rarely tractable, however, and so researchers and practitioners must usually resort to approximate statistical inference methods. A new point via the leapfrog integrator. A standard procedure for drawing M samples via Hamiltonian Monte Carlo is described in Algorithm 1. I denotes the identity matrix and $N(\mu, \Sigma)$ denotes a multivariate normal distribution with mean μ and covariance matrix Σ . For each sample m , we first resample the momentum variables from a standard multivariate normal, which can be interpreted as. The No-U-Turn Sampler. Figure 1: Example of building a binary tree via repeated doubling. Independent Metropolis (IM). Propose a new point independently of the current location: $k(y|x) = K(y)$. Encapsulate your sampler: Create an MCMC posterior sampling algorithm for model M that takes data D as input and produces posterior samples $\{\theta_i\}$, and a 100 P% credible region $\Delta P(D)$ Initialize counter $Q = 0$ Repeat $N \gg 1$ times: 1 Sample a "true" parameter value θ^* from $\pi(\theta)$ 2 Sample a dataset D_{sim} from $p(D|\theta^*)$ 3 Use the encapsulated posterior sampler to get $\Delta P(D_{sim})$ from. selection): Shotgun stochastic search, Bayesian adaptive sampling. This is just a small sampling! 42 / 42. Change-point problems arise in a wide variety of fields, including biomedical signal processing, speech and image processing, climatology, industry (e.g. fault detection) and financial mathematics. In this paper, we apply the Cross-Entropy method to a sequential change-point problem. @article{Sofronov2012SequentialCD, title={Sequential change-point detection via the Cross-Entropy method}, author={Georgy Y. Sofronov and Tatiana V. Polushina and Madawa Priyadarshana}, journal={11th Symposium on Neural Network Applications in Electrical Engineering}, year={2012}, pages={185-188}}. Change-point modelling in biological sequences via the bayesian adaptive independent sampler. G. Sofronov. Computer Science.